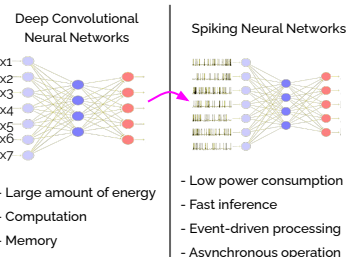


## 1 Motivation



Scan the QR Code to see our paper!



## 6 Related work

[1] M Beyeler, EL Rounds, KD Carlson, N Dutt, and JL Krichmar. Neural correlates of sparse coding and dimensional reduction. PLoS Computational Biology, 2019.

[2] T Chauhan, T Masquelier, A Montilbert, and BR Cottureau. Emergence of binocular disparity selectivity through Hebbian learning. Journal of Neuroscience, 2018.

## 3 Network Architecture

### A. Modeling the retinotopic pathway

- The **LGN layer** consisted of simulated firing-rate neurons with center-surround receptive fields, implemented using a direct application of a 6x6 difference of Gaussian filter on the image.

### B. Spike-latency code

- We converted the LGN activity maps to **first spike relative latencies**.
- The LGN spikes contributed to an increase in the membrane potential of V1 neurons, until one of the **V1 membrane potentials** reached threshold.

$$E_n(t) = \begin{cases} \sum_{m \in \text{LGN}} w_{mn} \cdot H(t - t_m), & t < \min \{t \mid \max_{n \in V_1} E_n(t) \geq \theta\} \\ 0, & \text{otherwise.} \end{cases}$$

### C. Spike-timing dependent plasticity (STDP)

- The weights of plastic synapses connecting LGN and V1 were updated using STDP, as a function of the relative timing of pre- and postsynaptic spikes: Long-term potentiation (LTP) ( $\Delta t > 0$ ) and long-term depression (LTD) ( $\Delta t \leq 0$ ).

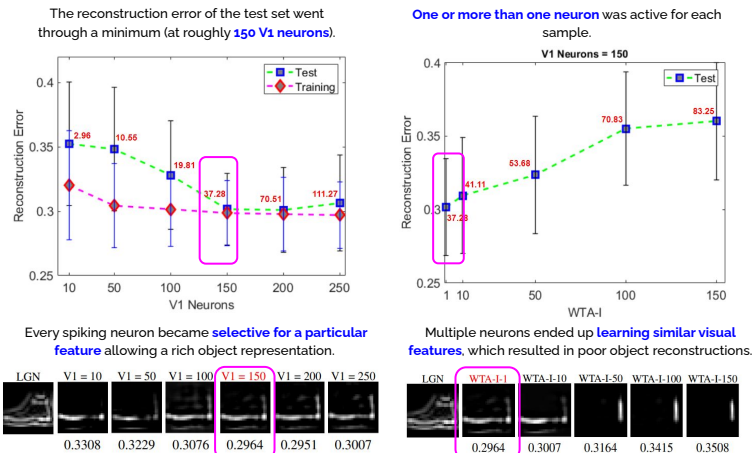
$$\Delta w = \begin{cases} -\alpha^- \cdot w^{p-} \cdot K(\Delta t, \tau_-), & \Delta t \leq 0 \\ \alpha^+ \cdot (1 - w)^{p^+} \cdot K(\Delta t, \tau_+), & \Delta t > 0, \end{cases}$$

### D. Winner-take-all inhibition

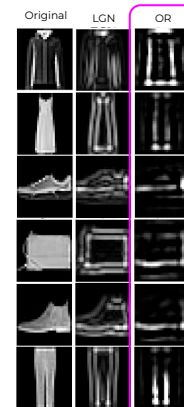
- We used a hard **WTA-I** scheme such that, if any V1 neuron fired during a certain iteration, it simultaneously prevented other neurons from firing until the next sample.

$$y_i = \begin{cases} 1, & \text{if } x_i > x_j \text{ for all } j \neq i \\ 0, & \text{if } x_j > x_i \text{ for some } j \neq i. \end{cases}$$

## 4 Object Representation and Results



### E. Stimulus reconstruction



$$OR_k = \sum_{j \in V_1} r_{kj} \xi_j$$

## 5 Conclusions

- Efficient object representations can be learned with **STDP** rule.

- Our network is able to represent objects with as little as **150 spiking neurons** and at most **40 spikes**.